

Your textbook should be closed, though you may use any handwritten notes that you have taken. You will use your clicker to answer these questions. If you do not yet have a clicker, please turn in your answers on a sheet of paper. The quiz will commence at 9:33 AM.

JUST USE DEFAULT FREQUENCY: AA

Key Questions: (Discuss with neighbors before quiz)

- 1) What is a motion diagram?
- 2) What is acceleration?



# Physics 1A, Lecture 3: One Dimensional Kinematics

Summer Session 1, 2011

# Reading Quiz #1-1


- What is the one thing kept constant in between images of all motion diagrams?
  - A) the direction of the velocity and acceleration
  - B) the time interval
  - C) the direction of motion
  - D) the speed
  - E) nothing is kept constant

# Reading Quiz #1-2

- What is acceleration?
  - A. The change in position divided by the change in time
  - B. The change in velocity divided by the change in time
  - C. The change in speed divided by the change in time
  - D. The change in direction divided by the change in time

# Things to note: Homework #1

Should say:

$$mv^2 r = \mu mg$$


e. Solve for a:  $y = v_0 t + \frac{1}{2} a t^2$

---

f. Solve for g:  $T = 2\pi \sqrt{\frac{L}{g}}$

---

g. Solve for  $\mu$ :  $mv^2 \frac{1}{r} = \mu mg$

---

## 2.2 Solving systems of equations

A)  $h = h_0 + v_0 t - \frac{1}{2} g t^2$ ,    B)  $v^2 = v_0^2 - 2gh$ ,    C)  $v = v_0 - gt$

1) You are given  $v_0$ ,  $h_0$ , and  $g$  and the equations above. Do you have enough equations to solve for

# Things to note: Homework #1

Section 2.2 Do second one first, (first one is really challenging)

→ Get desired variable on one side of an equation and only knowns on the other side.

## 2.2 Solving systems of equations

$$\text{A) } h = h_0 + v_0t - \frac{1}{2}gt^2, \quad \text{B) } v^2 = v_0^2 - 2gh, \quad \text{C) } v = v_0 - gt$$

1) You are given  $v_0$ ,  $h_0$ , and  $g$  and the equations above. Do you have enough equations to solve for  $v$ ? Can you do it with two equations? With one? Solve for  $v$ :

2) You are given  $v$ ,  $t$ , and  $g$ . Do you have enough equations to solve for  $h$ ? Can you do it with two equations? With one? Solve for  $h$ :

# Things to note:

Check the Announcement page regularly!

**Physics 1A, Summer Session 1, 2011**

[Calendar](#)  
[Announcements](#)  
[Course Info](#)  
[Homework](#)  
[Reading Quizzes](#)  
[Grades](#)  
[Links](#)

**Contact Information**

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Office: Urey Hall 7205

TA:  
Evan Grohs  
email: egrohs@ucsd.edu  
Office Hours: Mayer Hall 2702 W 2-4pm (except week 1)

**Announcements**

<b>Tues June 28th</b>	<p>---The reading assignment has been posted on the <a href="#">Reading Quiz</a> page.</p> <p>---Tuesdays's lecture is now posted in the <a href="#">Calendar</a>.</p> <p>---There's a little typo in this week's homework. On the top of the second page, problem 2.1.g should read "Solve for mu: <math>m * v^2 * r = \mu * m * g</math>".</p> <p>---This week's homework will now be due on Thursday June 30th.</p> <p>--- Next week's homework will still be due Wednesday, July 6th. It should be posted by this Thursday.</p>
<b>Mon June 27th</b>	<p>---Monday's lecture is now posted in the <a href="#">Calendar</a>.</p> <p>---The correct answers to the clicker questions have green boxes around them in the slides I have posted.</p> <p>---Let me know if you have trouble opening any of the posted documents.</p> <p>---Evan's office hours have been posted to the <a href="#">Course Info</a> page.</p> <p>---This week only he will hold office hours from 1-2pm and 3-4pm in the Physics tutorial center (Mayer 2702).</p> <p>---The scantrons you need for the Quizzes/Exam are X101864-PAR-L</p>
<b>Sun June 26th</b>	<p>---Homework #1 has been posted on the <a href="#">Homework</a> page.</p> <p>---The reading assignment has been posted on the <a href="#">Reading Quiz</a> page.</p>
<b>June 22th</b>	<p>---Please purchase an iclicker from the UCSD bookstore. The are not required but you will be able to earn up to 5 points extra credit and we will use them to take in-class reading quizzes.</p> <p>---The textbook for the class is Serway and Jewitt's Principles of Physics which you will need to complete the daily reading assignments.</p>

# Things to note:

Check out extra recommended problems posted to the Homework webpage (will not be collected, but covers testable material):

Vectors:

Easy: Ch 1, problems 38 and 41

Medium: Ch 1, problems 43, 45, 46

Velocity:

Easy: Ch2, problems 3,5

Medium: Ch2, problems 4,8,9

# Reminders

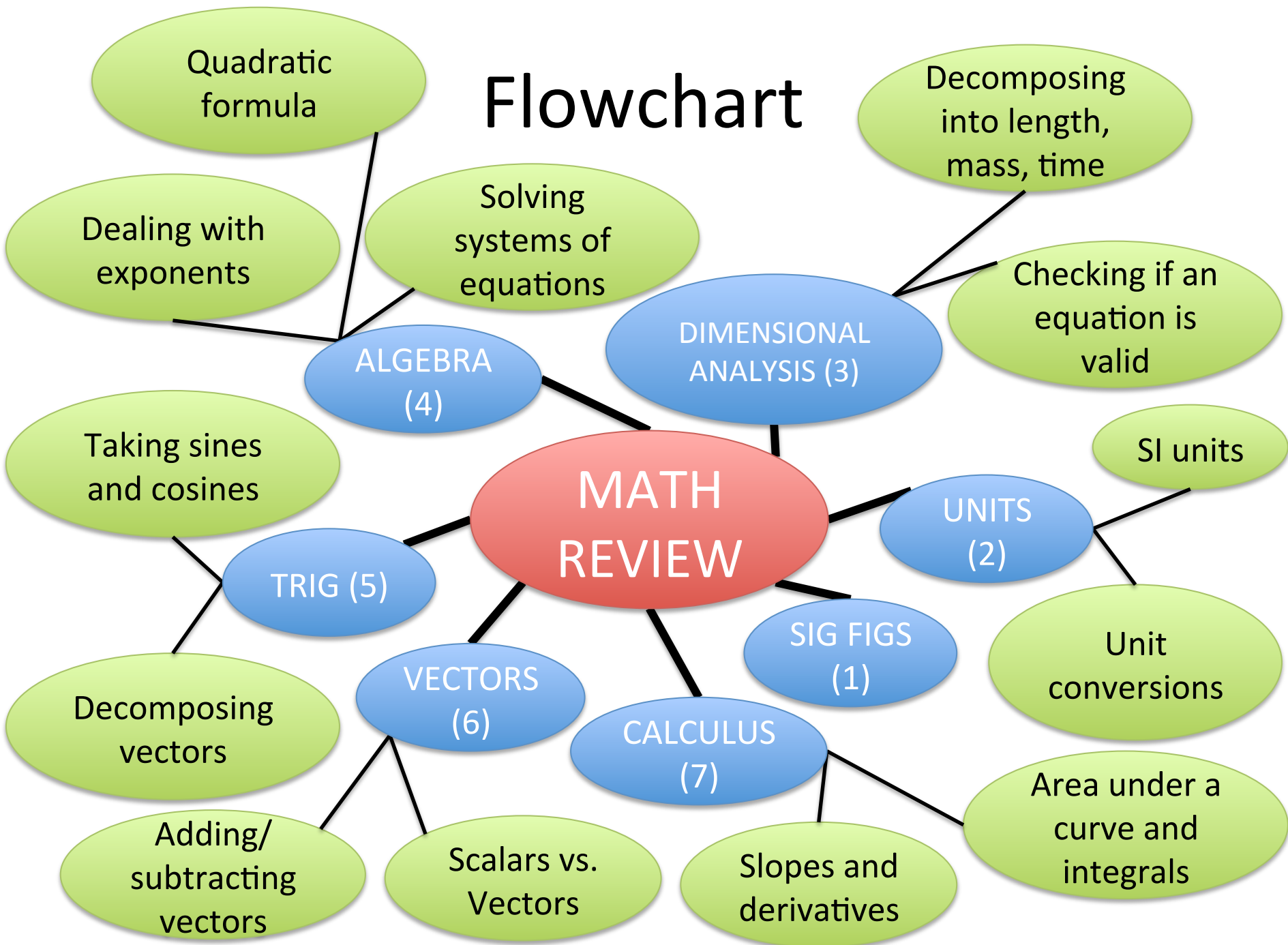
- Homework due in class tomorrow
- Homework #2 should be ready for download tomorrow, will be due next Wednesday.
- Today's office hours:
  - Me (12-1pm in Mayer 5623)
  - Evan (1-2pm and 3-4pm)
- Tonight's problem session with Evan:
  - 5-6pm in Peterson hall 104



# Quick anonymous poll

- Would you like me to podcast the lecture:
  - A) Yes! Please! That would help a lot!
  - B) I don't care. I probably wouldn't use it
  - C) No, I would rather you didn't use a microphone

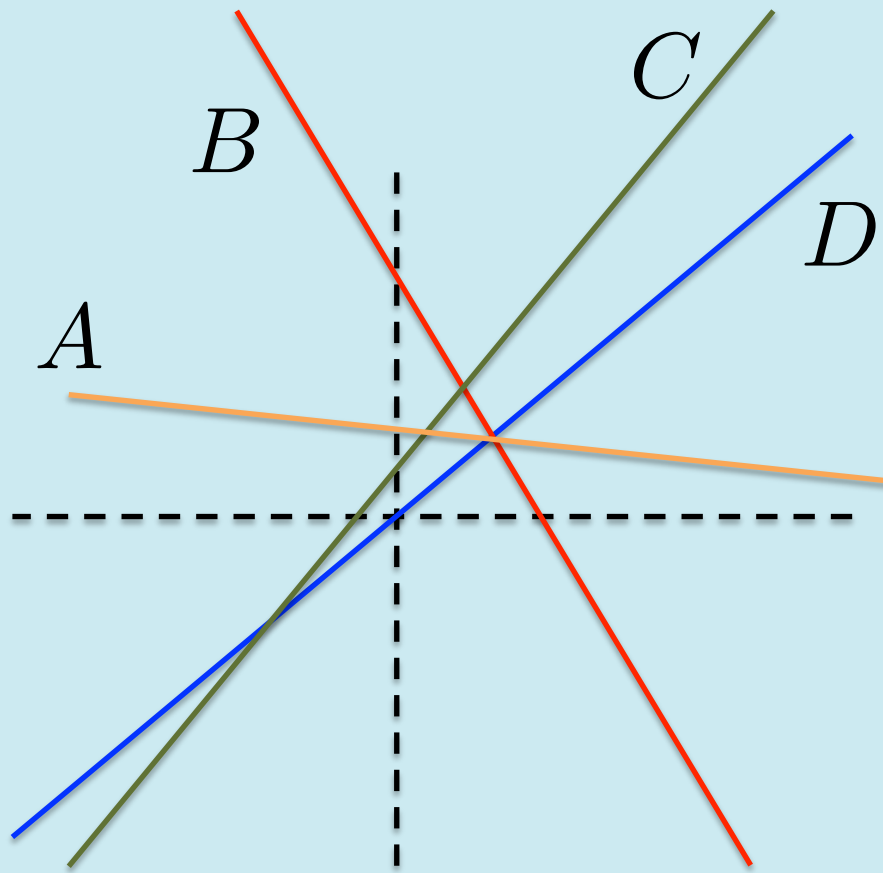
# Flowchart



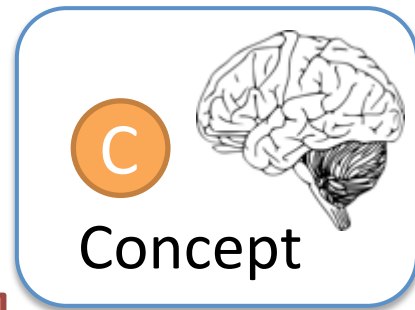
# Clicker Question 3-1

## Slope

- Which line has the largest positive slope?



# Major concept



Take derivative  
--or--  
Find slope

Take derivative  
--or--  
Find slope

Displacement

Velocity

Acceleration

Take integral  
--or--  
Area under curve

Take integral  
--or--  
Area under curve



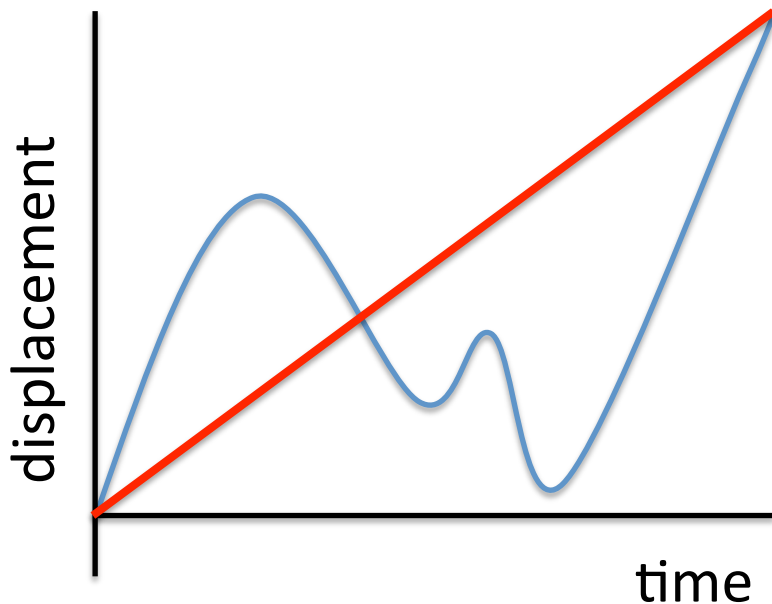
# Calculus Review: Slopes and Derivatives



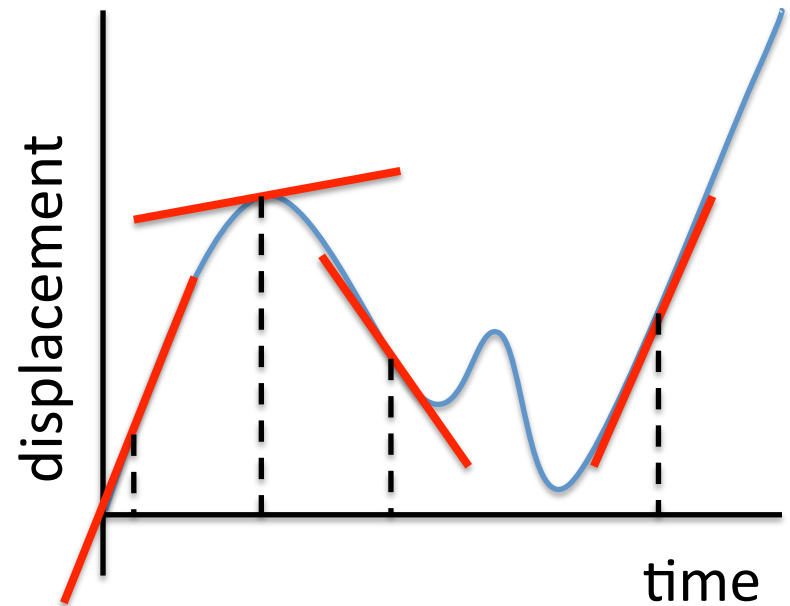
Concept

- We use derivatives in physics to describe how things are changing (usually changing over time):

## Average change



## Instantaneous change

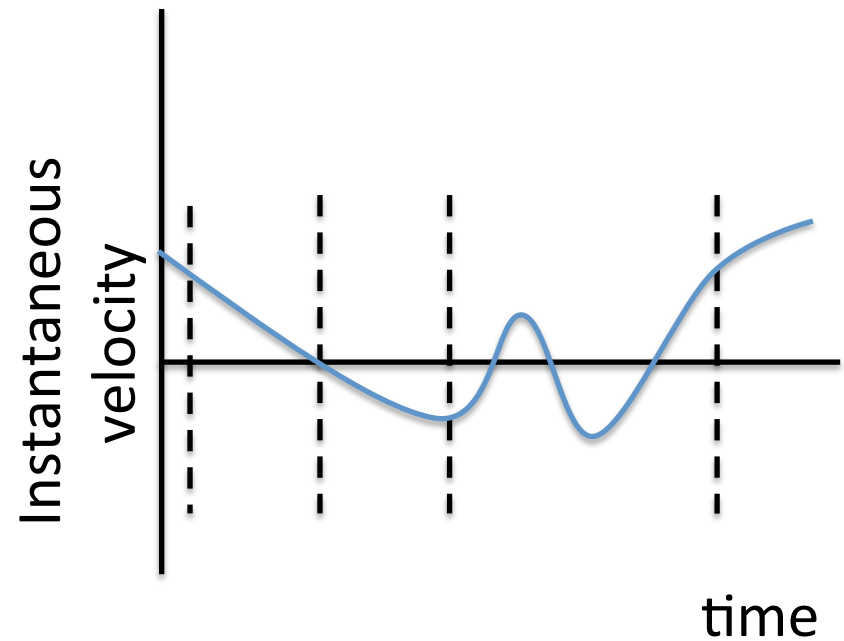
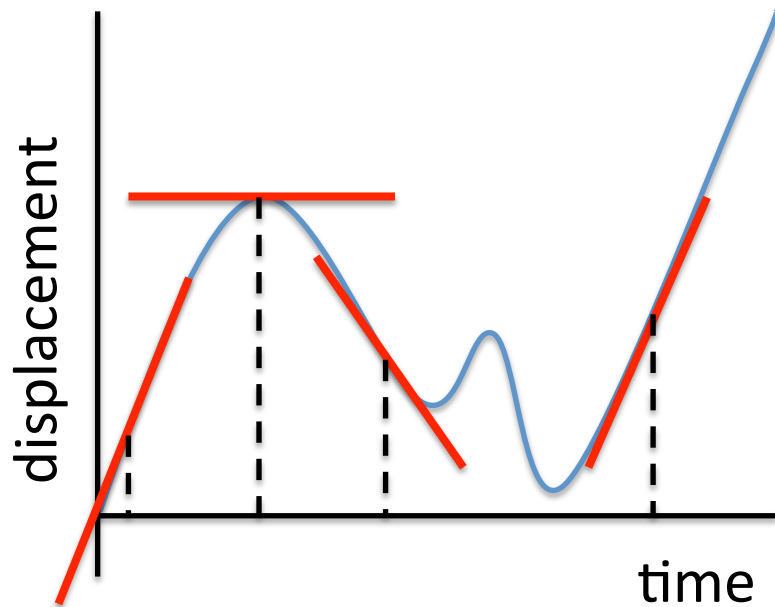


# Calculus Review: Slopes and Derivatives



Procedure

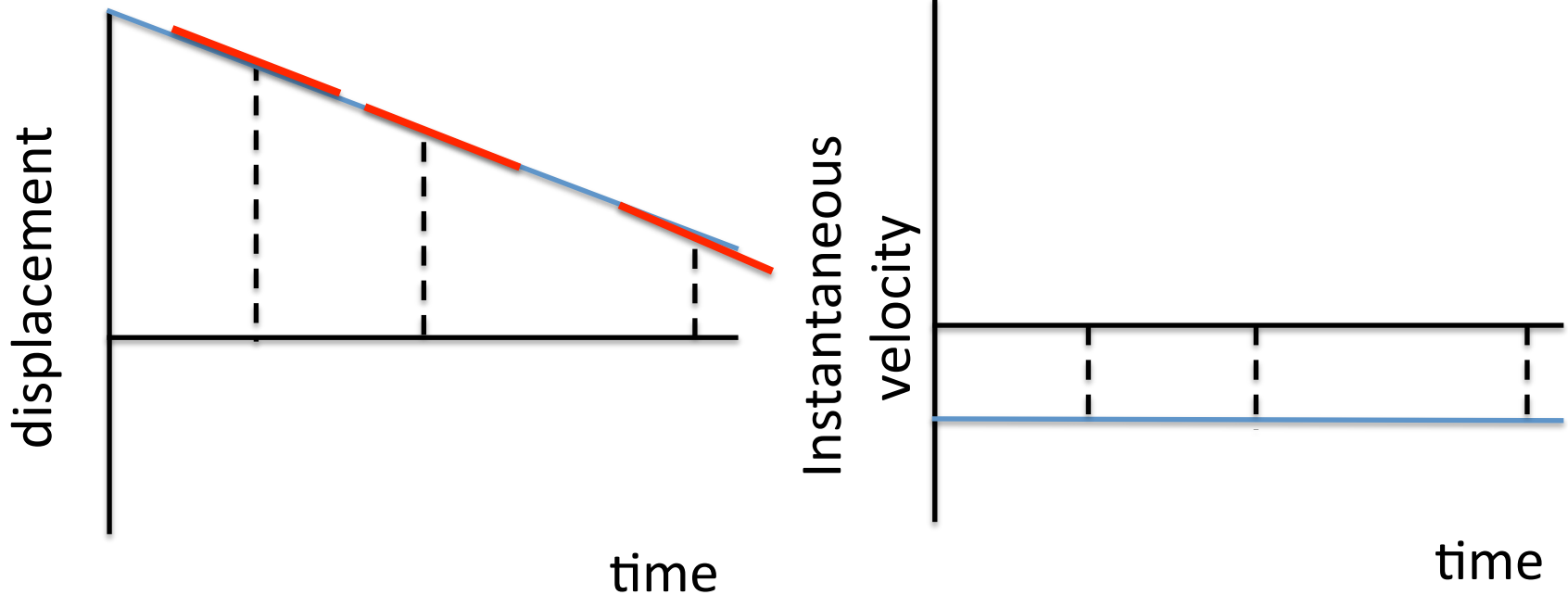
- You can plot a derivative by measuring the slope of a line tangent to a curve at each point:



# Calculus Review:

## Derivatives

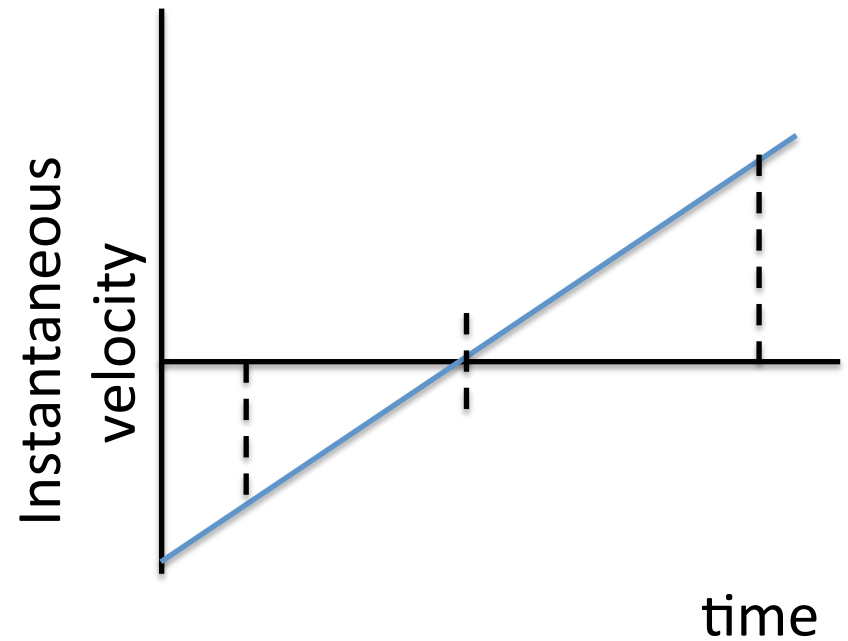
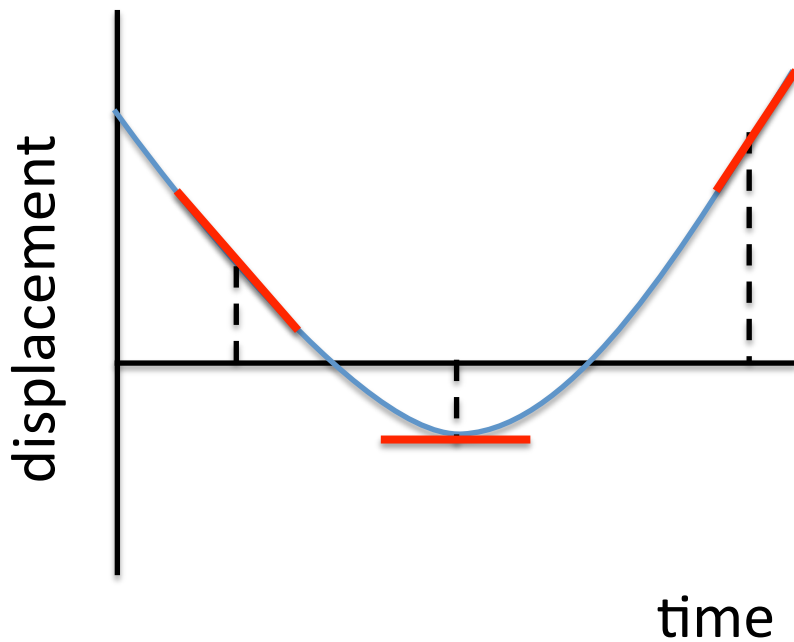
- You can plot a derivative by measuring the slope of a line tangent to a curve at each point:



# Calculus Review:

## Derivatives

- You can plot a derivative by measuring the slope of a line tangent to a curve at each point:

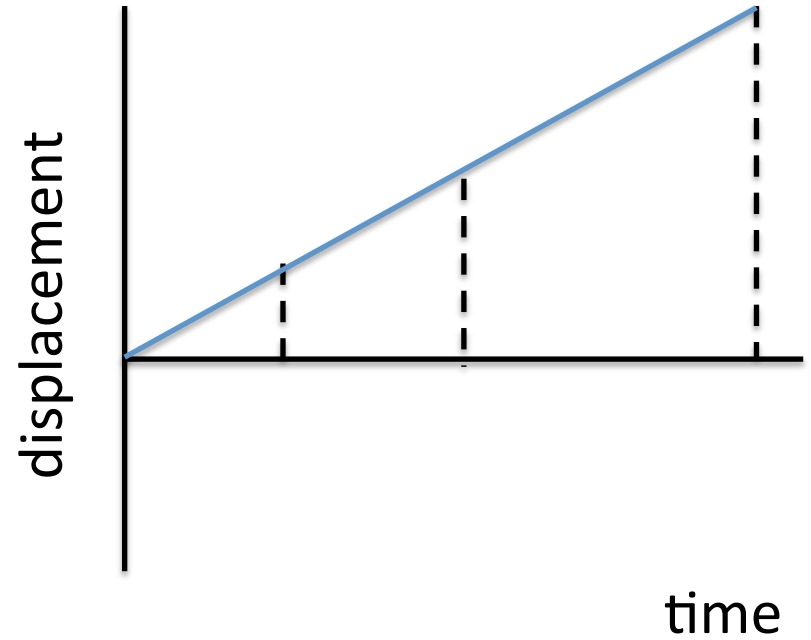
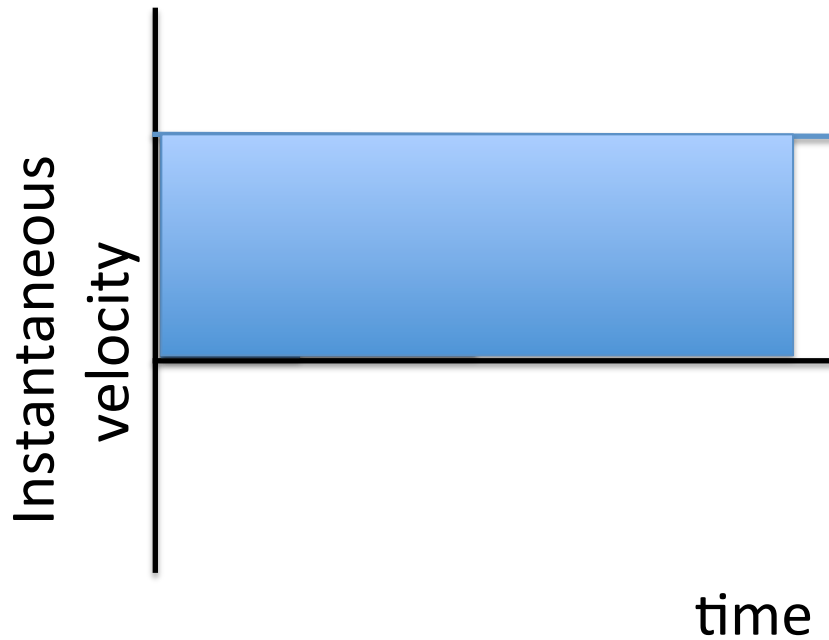




# Calculus Review:

## Area under a curve and Integrals

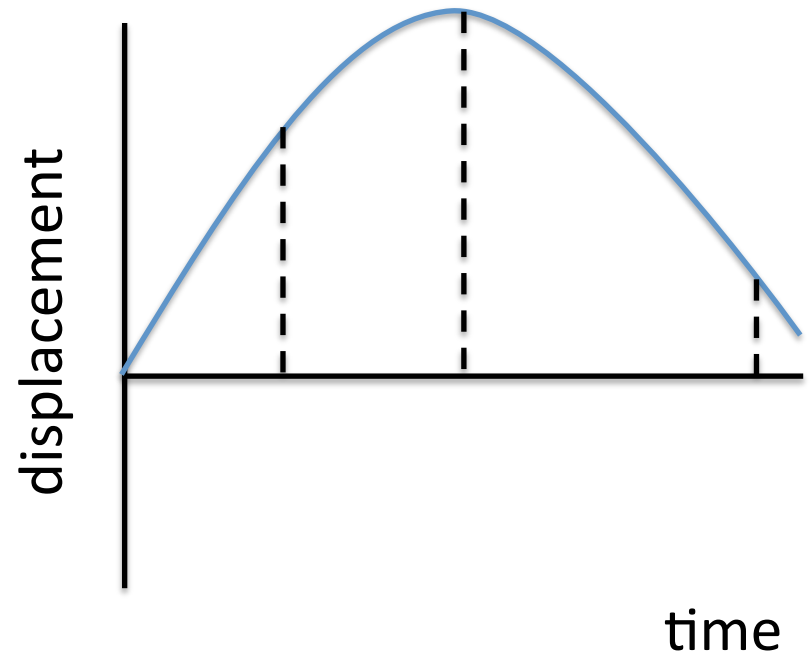
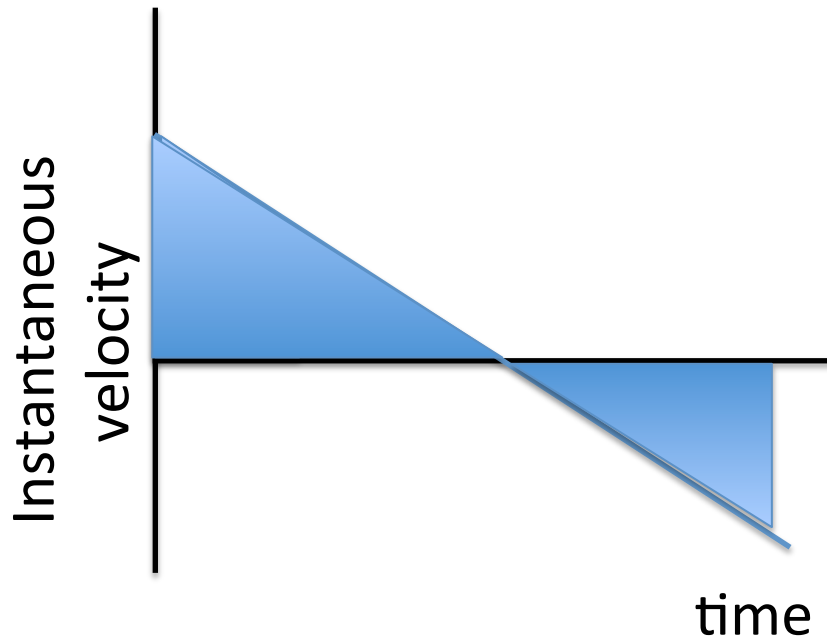
- We use integrals in physics to describe how much change has accumulated (usually over time).



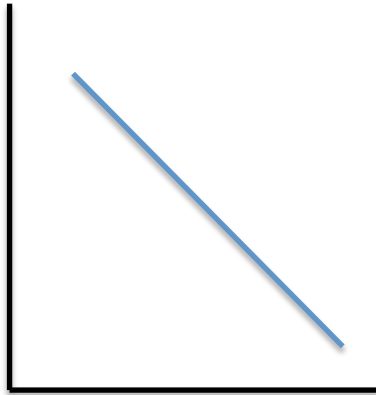
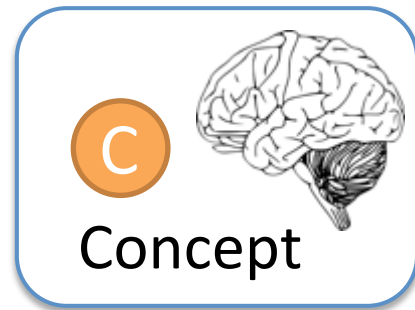
# Calculus Review:

## Area under a curve and Integrals

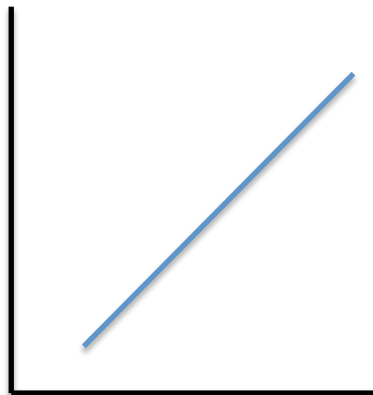
- We use integrals in physics to describe how much change has accumulated (usually over time).



# Graphical understanding of derivatives



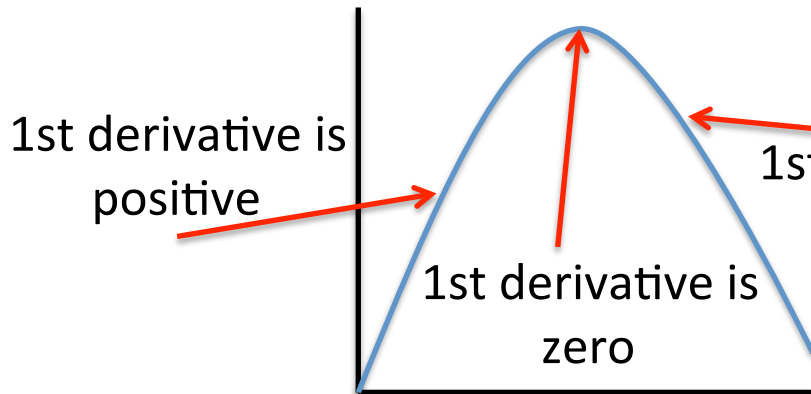
1st derivative is negative



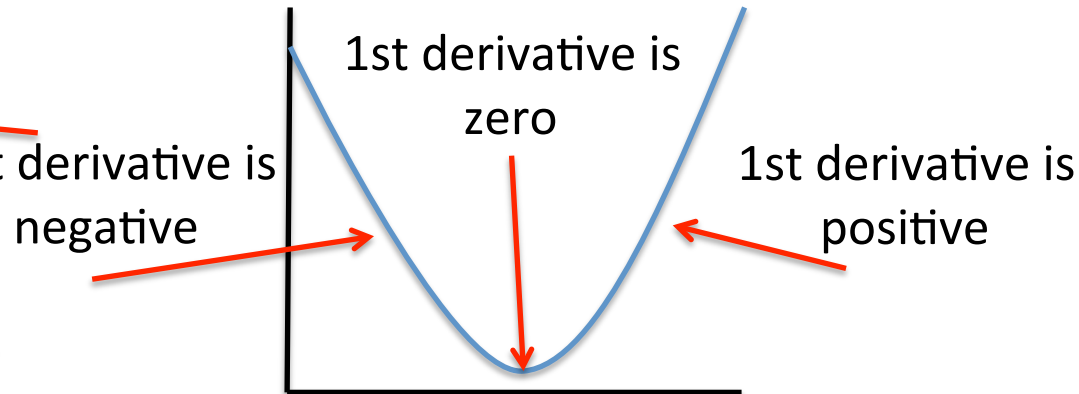
1st derivative is positive



1st derivative is zero



2nd derivative is negative



2nd derivative is positive

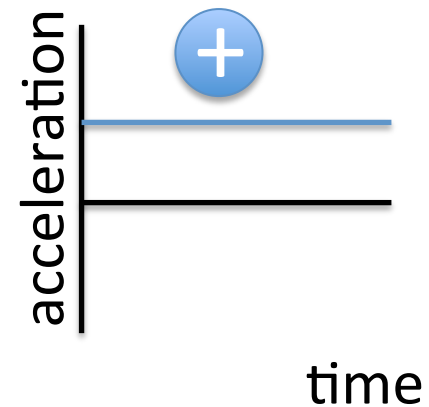
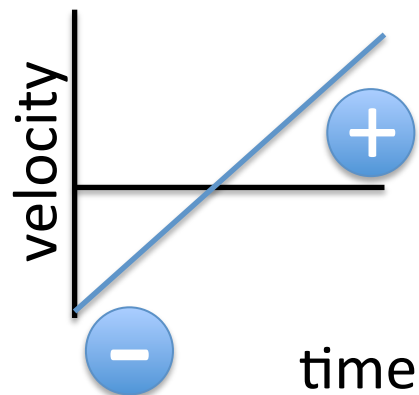
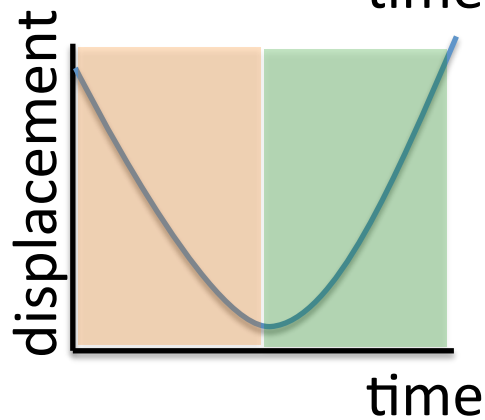
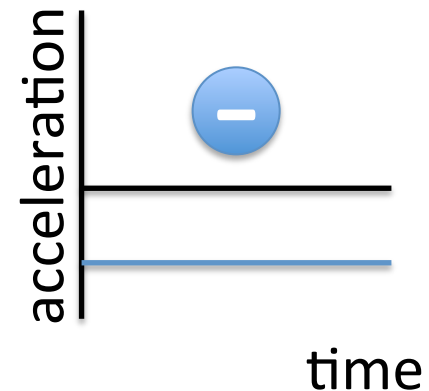
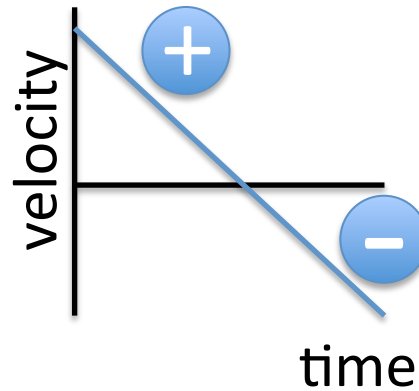
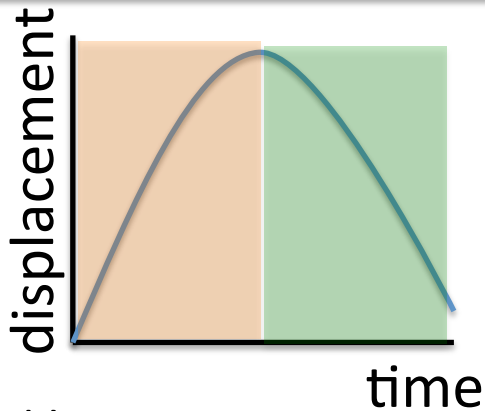
# Graphical understanding of derivatives



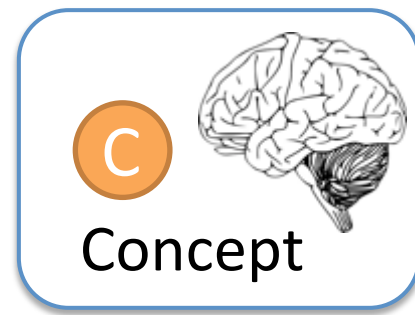
Concept

When acceleration and velocity are opposite signs → slow down

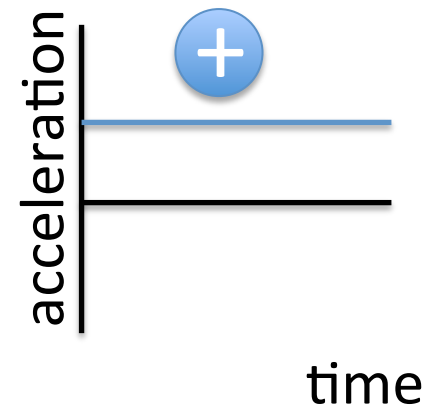
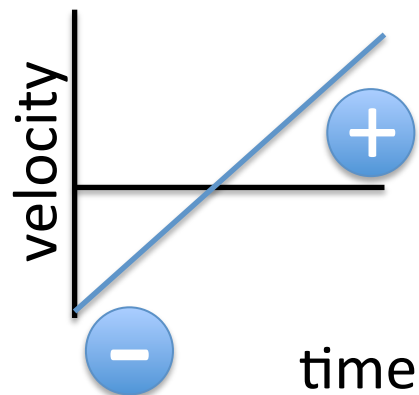
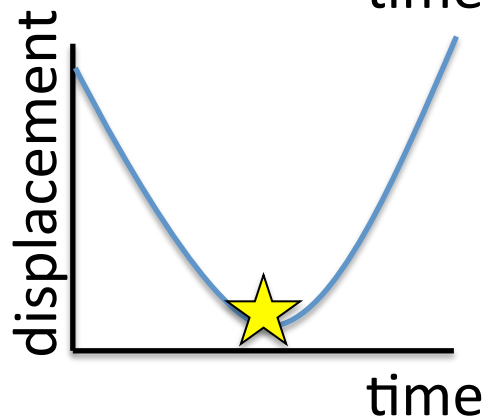
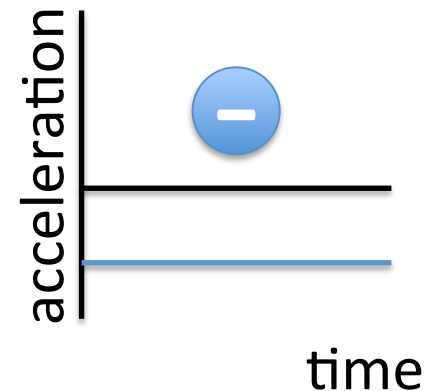
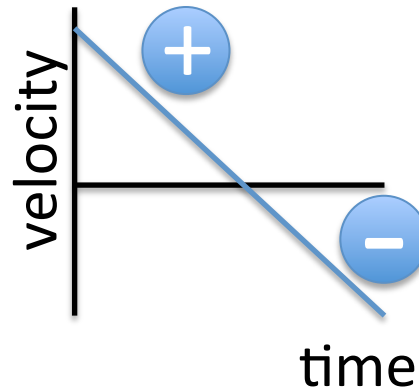
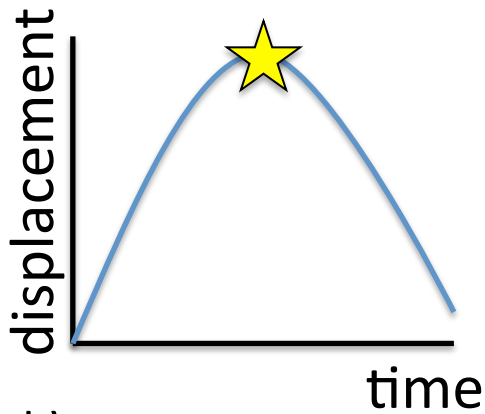
When acceleration and velocity are same sign → speed up



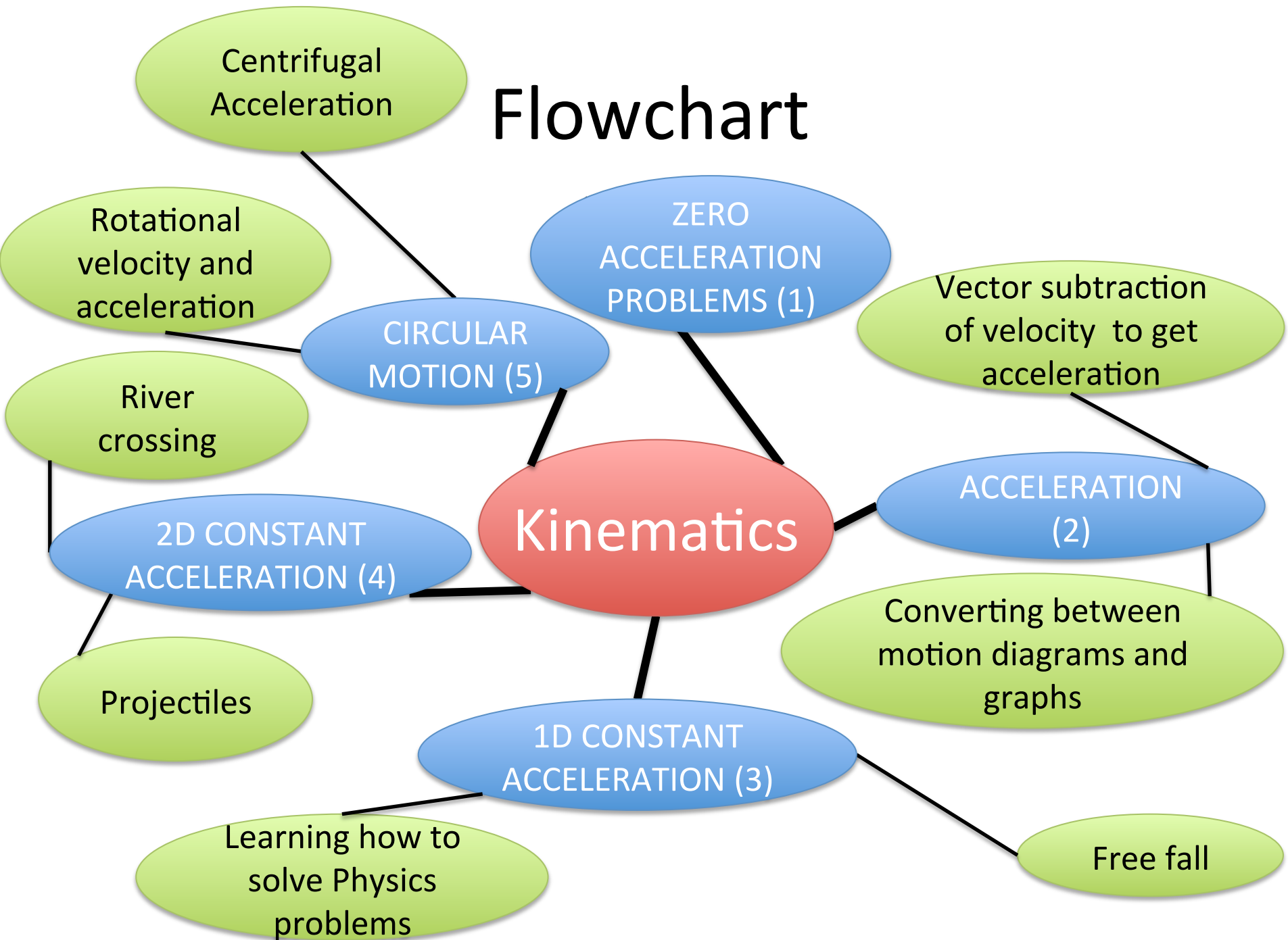
# Graphical understanding of derivatives



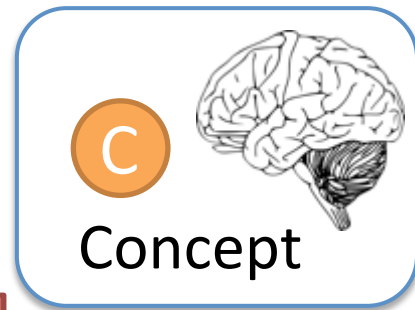
- Velocity is zero but acceleration is nonzero!



# Flowchart



# Major concept



Take derivative  
--or--  
Find slope

Take derivative  
--or--  
Find slope

Displacement

Velocity

Acceleration

Take integral  
--or--  
Area under curve

Take integral  
--or--  
Area under curve



# Displacement vs. distance

- Displacement is a vector  
(  $\Delta \vec{x}$  )

$\vec{x}(t)$

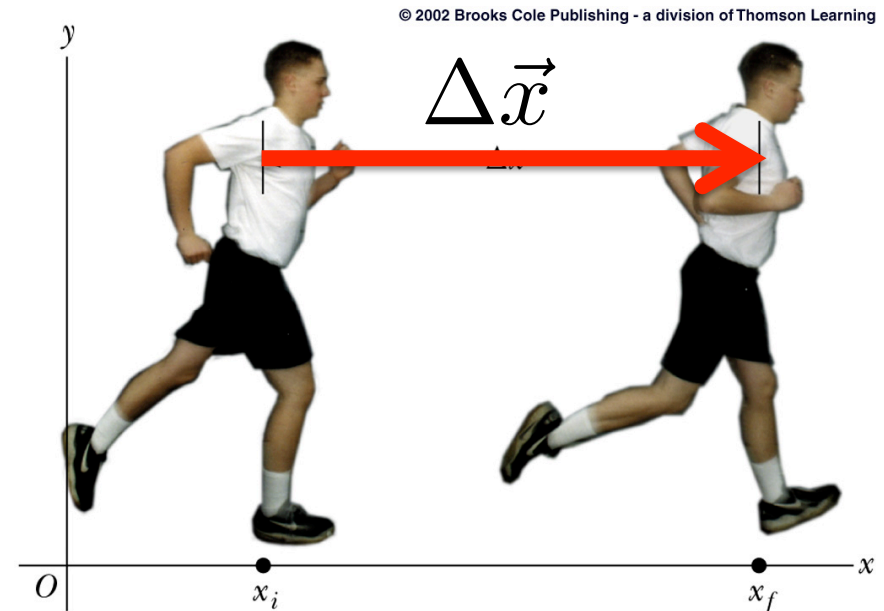
- Position defined from the origin over time

$$\Delta \vec{x} = x_f - x_i$$

- Displacement is a change in position

- Distance is a scalar (d)

$$d = |\Delta \vec{x}|$$





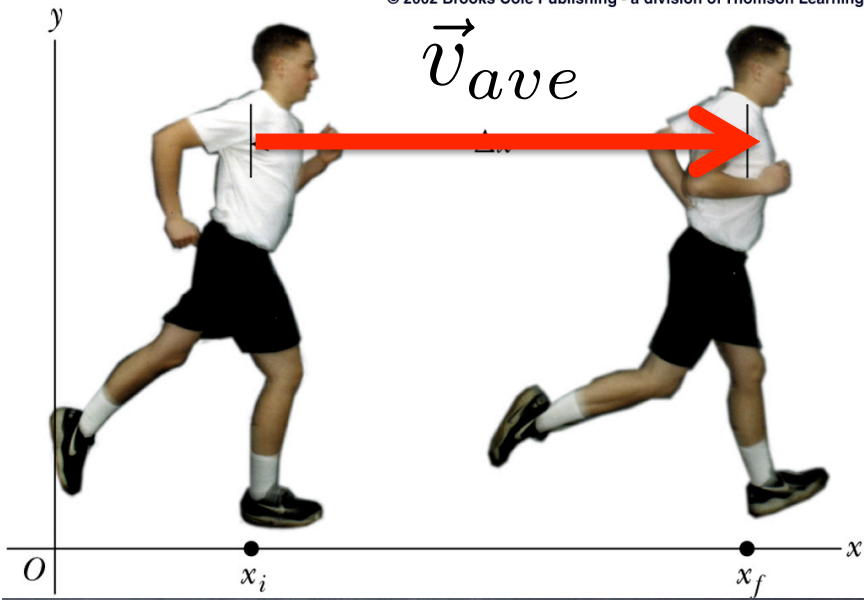
# Speed vs. velocity

- Average velocity is a vector:
- Speed is a scalar:

$$\vec{v}_{ave} = \frac{\Delta \vec{x}}{\Delta t}$$

$$v_{ave} = \left| \frac{\Delta \vec{x}}{\Delta t} \right| = \frac{d}{\Delta t}$$

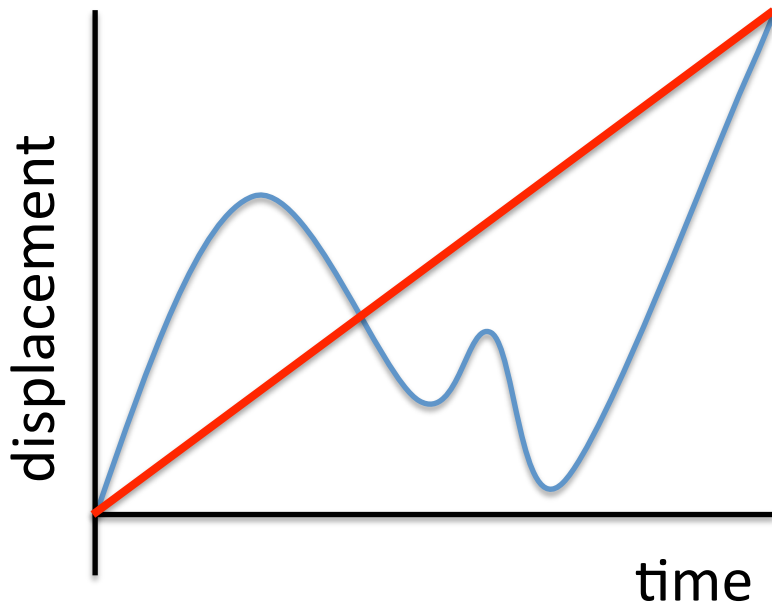
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# Average vs. Instantaneous velocity

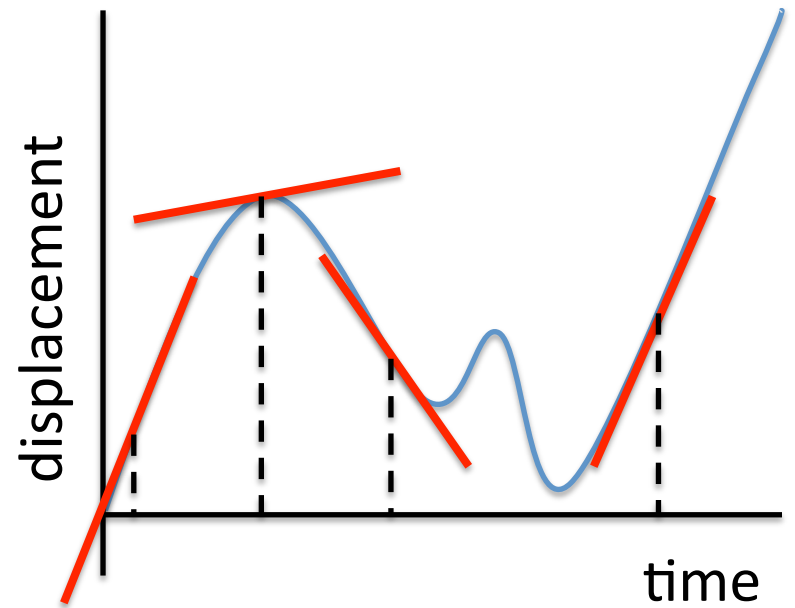
$$\vec{v}_{ave} = \frac{\Delta \vec{x}}{\Delta t}$$

Average velocity



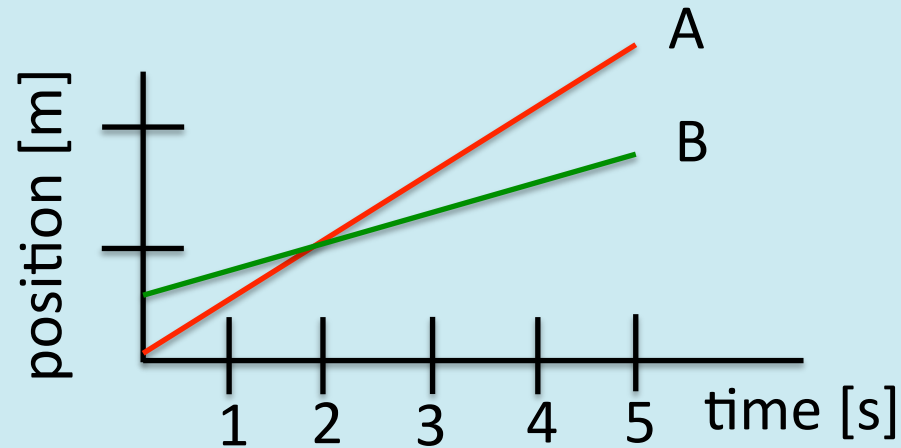
$$\vec{v} = \frac{d\vec{x}}{dt}$$

Instantaneous velocity



# Clicker Question 3-2

In the following position vs time graph, when do particles A and B have the same speed?

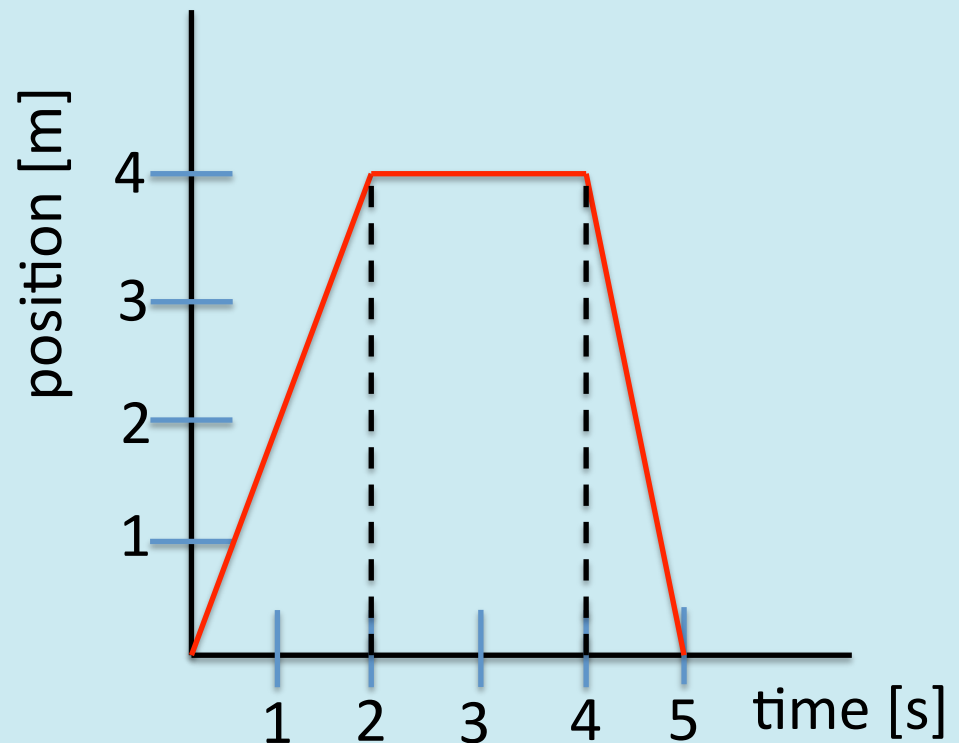


- A) at  $t = 1$  s
- B) at  $t = 2$  s
- C) at  $t = 3$  s
- D) They have the same speed the entire time.
- E) They never have the same speed.

# Clicker Question 3-3

- The figure shows a position versus time graph. What is the *average* velocity from 0 to 4 seconds?

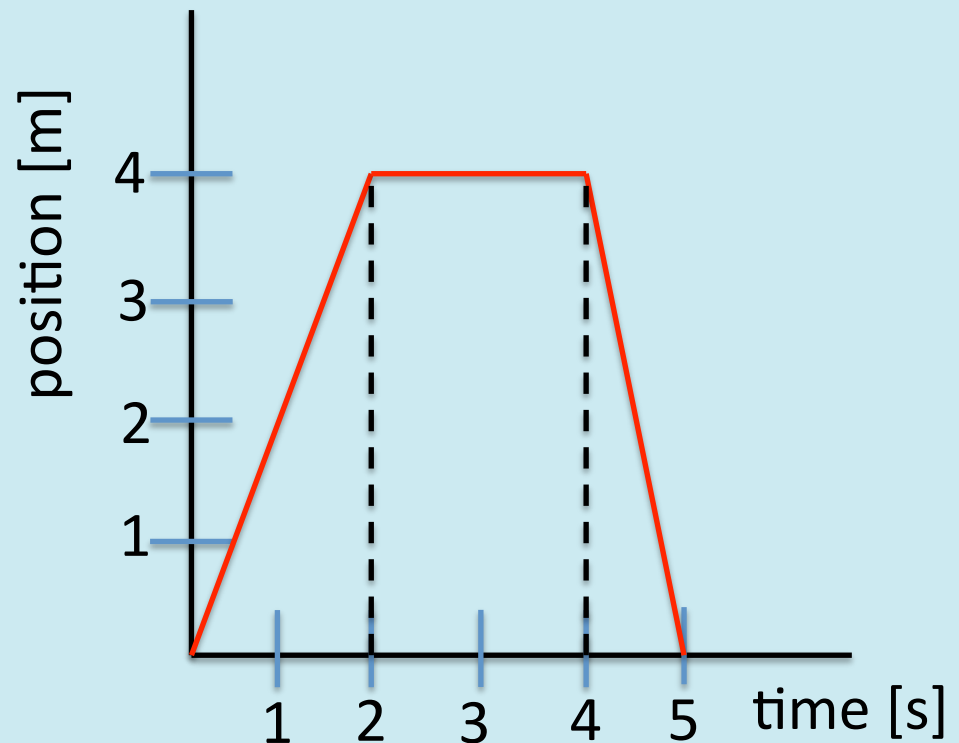
- A) -2 m/s
- B) -1 m/s
- C) 0 m/s
- D) 1 m/s
- E) 2 m/s



# Clicker Question 3-4

- The figure shows a position versus time graph. What is the *instantaneous* velocity at 1 second?

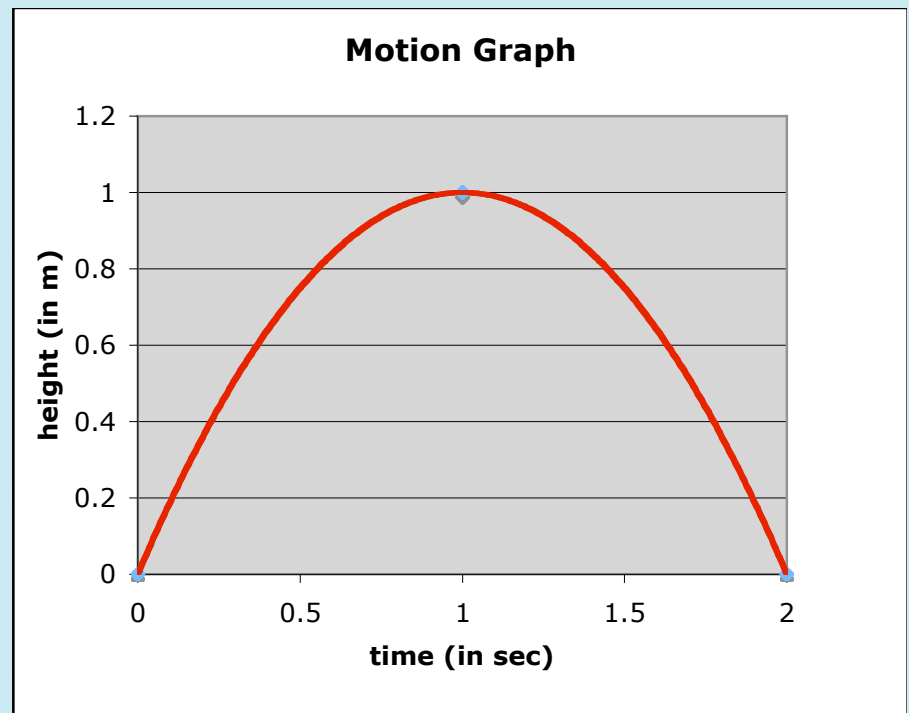
- A) -2 m/s
- B) -1 m/s
- C) 0 m/s
- D) 1 m/s
- E) 2 m/s



# Clicker Question 3-5

You throw a ball up into the air to a height of 1m and watch it drop back into your hand after 2 seconds. What is the average velocity and average speed of the ball over the 2 second span?

- A) -2 m/s
- B) -1 m/s
- C) 0 m/s
- D) 1 m/s
- E) 2 m/s



# Clicker Question 3-6

You throw a ball up into the air to a height of 1m and watch it drop back into your hand after 2 seconds. What is the instantaneous velocity at  $t = 1\text{s}$ ?

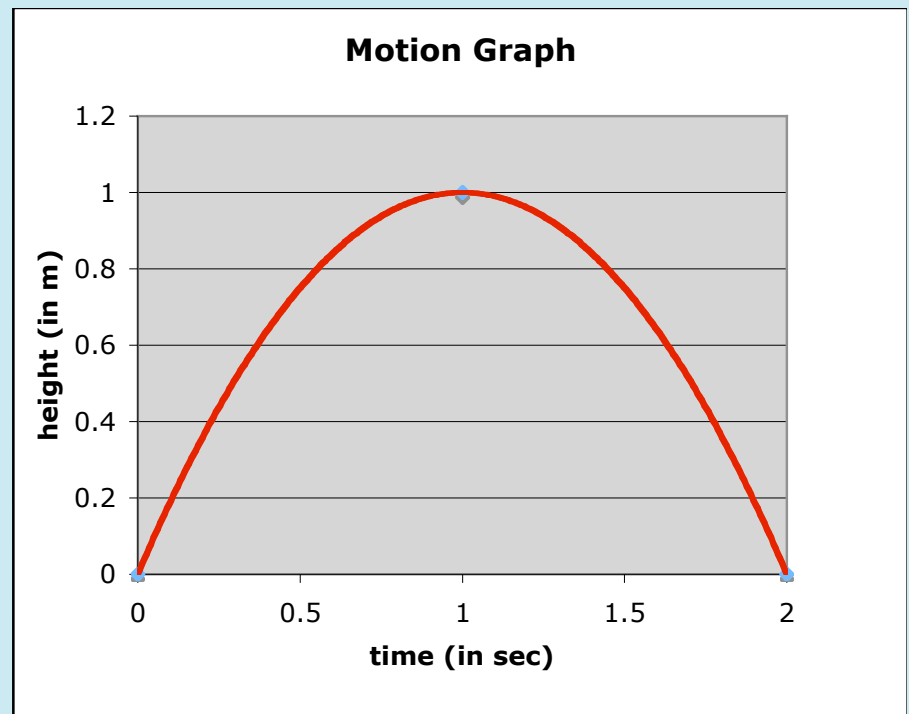
A) -2 m/s

B) -1 m/s

C) 0 m/s

D) 1 m/s

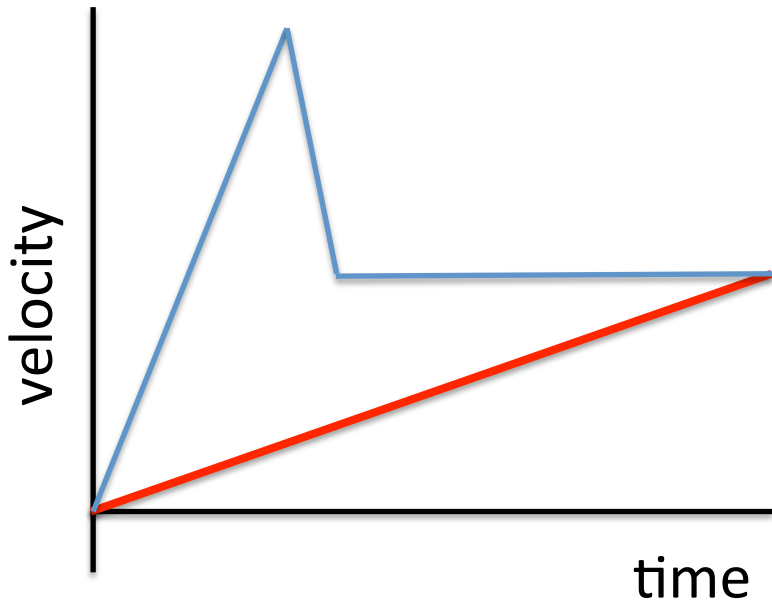
E) 2 m/s



# Average vs. Instantaneous Acceleration

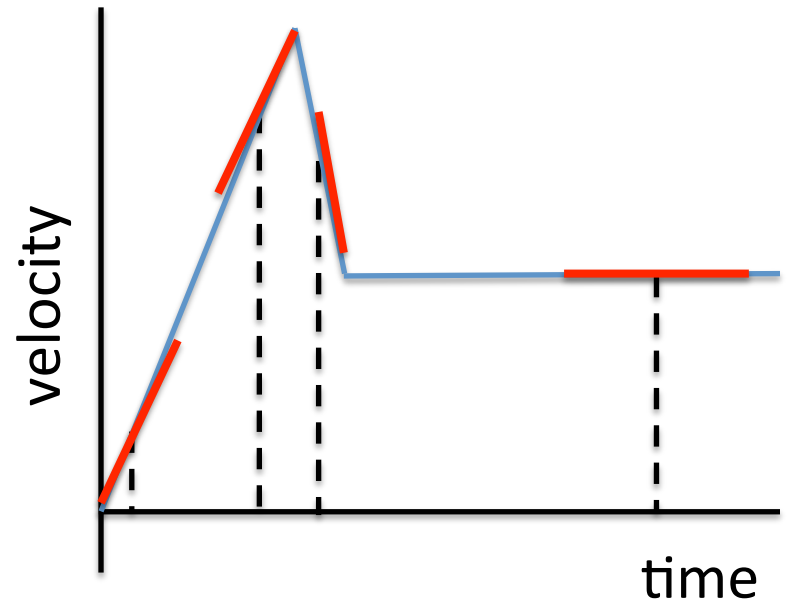
$$\vec{a} = \frac{\Delta \vec{v}}{\Delta t}$$

Average acceleration



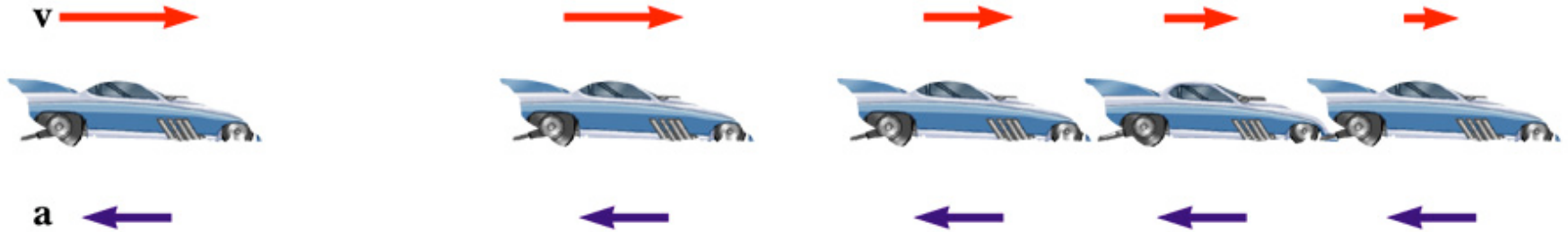
$$\vec{a} = \frac{d\vec{v}}{dt}$$

Instantaneous acceleration

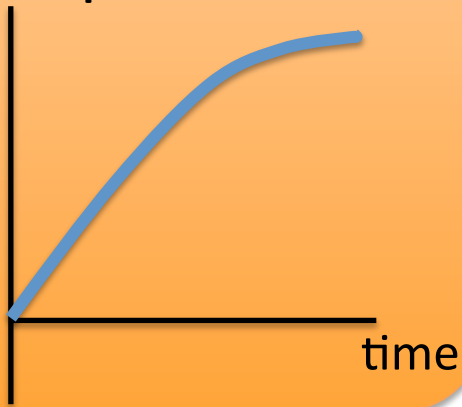




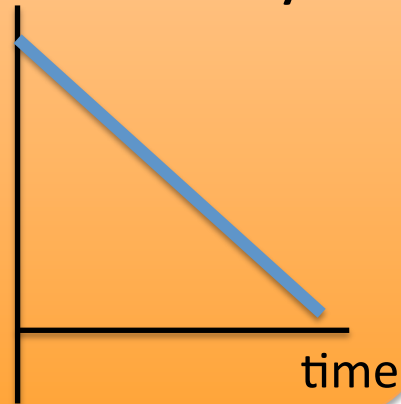
# Motion diagrams $\leftrightarrow$ Motion graphs



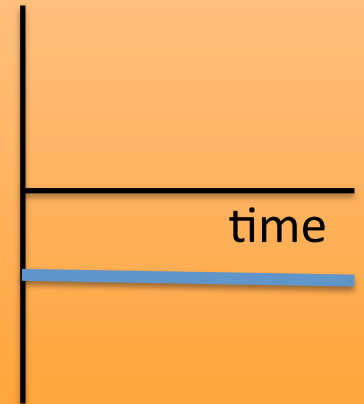
Displacement



Velocity



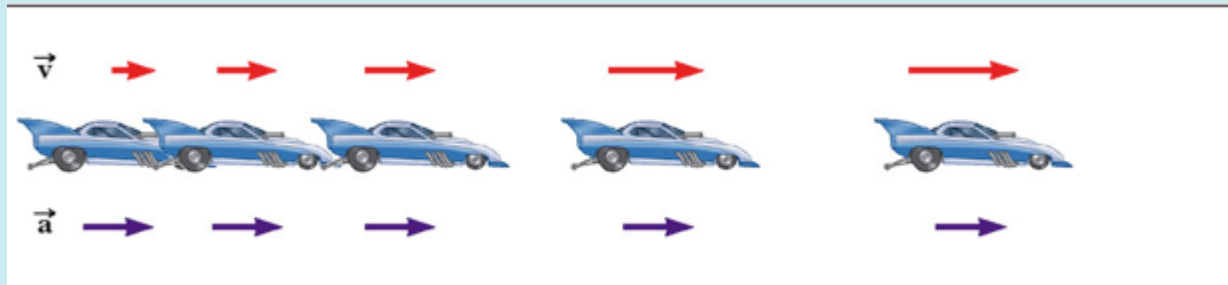
Acceleration



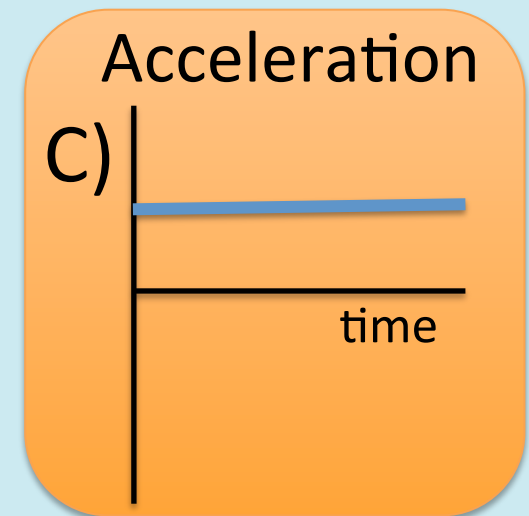
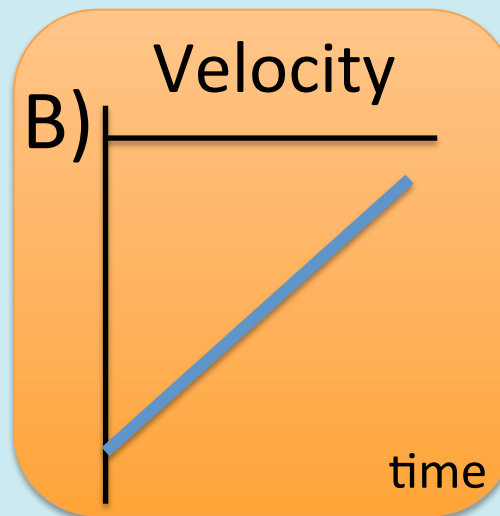
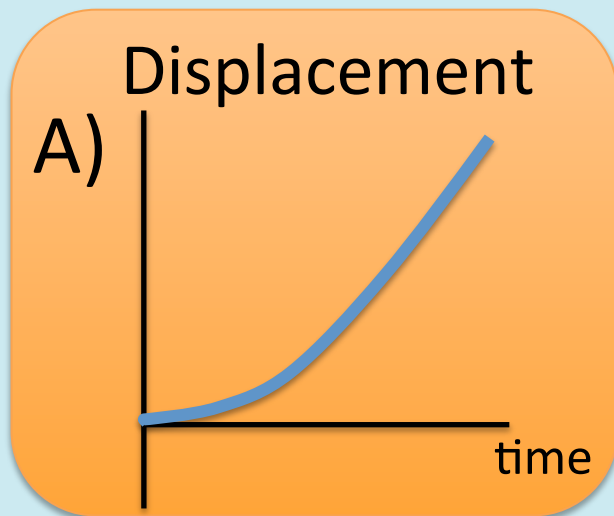
# Clicker Question 3-7

## Motion diagrams $\leftrightarrow$ Motion graphs

Which figure is drawn incorrectly?



D) none



# Homework

- Get ready for tomorrow's reading quiz
  - See assignment and questions posted on website
- Finish Homework #1, which is due tomorrow
  - Download this from the website
  - Solutions will be posted after lecture tomorrow, so no late homework will be accepted