due APRIL 25 Homework Set #1. Consider the Harmonic Oscillator $L(x,\dot{x}) = \frac{1}{2}\dot{x}^2 - \frac{1}{2}x^2$ under the following discretization procedure of the Feynman Path integral (Lecture 2): To = 2TT classical period of oscillador $\Delta t = \frac{1_0}{128}$ $X_0 = -4$, $X_D = +4$ $N_{\rm D} = 600$ Xstart = 0.75 $\psi_{o} = \left(\frac{d}{T}\right)^{\frac{1}{2}} = \frac{d}{2} \left(x - x_{start}\right)^{2}$ initial wavefunction $\alpha = 2$

2. Calculate the propagator K from Ke elementary K mahix (No+1) × (No+1) dimensional, l. . $\mathcal{E} = \frac{T_0}{128} = \Delta t$ for time period $\frac{T_0}{16}$ $K = (\Delta x)^{N-1} \cdot K_{\varepsilon}^{N} (\Delta t)$ 2. Evolve the wave function in time with $\frac{T_0}{16}$ stepsite and measure $\langle X \rangle$ as a function of time. Make a plot 3. Calculate <E>, <K>, <V> as a function of time. Make a plot. 4. Calculate the evolution of the wave function as a function of time. Make plot. 5. Compare your plots with the first three plots of Lecture 2 : Animation of the varefunction **142 and 242**